

RADLEY

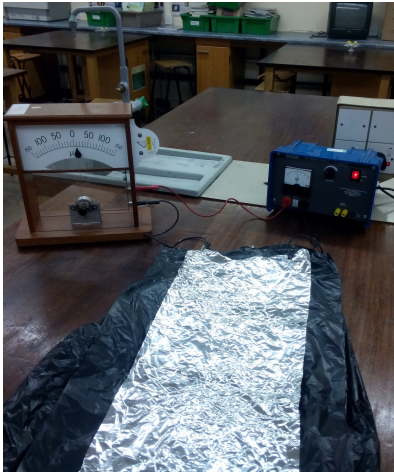
# Capacitors

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# The bin bag capacitor



- ▶ Is the circuit complete?
- ▶ Will current flow when it is switched on?

# Lesson Objectives

- 1 Know what a capacitor is and how it stores charge
- 2 Understand how capacitance is defined and its dimensions
- 3 Be able to work out the charge stored on a capacitor using  $Q = CV$

*Textbook p. 94–95*

**REMINDER:** Office hours are week 2 Tuesdays 3.45–5.0 p.m. in room 19.

# Specification Requirement

## Capacitance

*Definition of capacitance;  $C = \frac{Q}{V}$*

[AQA GCE AS and A Level Specification Physics A, 2009/10 onwards]

# A simple capacitor

# Capacitor notes

A capacitor stores **charge**.

Electrons are forced onto the **negative** plate and pulled off the **positive** plate by the power supply.

After the supply is disconnected, the capacitor can be used to supply **current** (a bit like a battery).

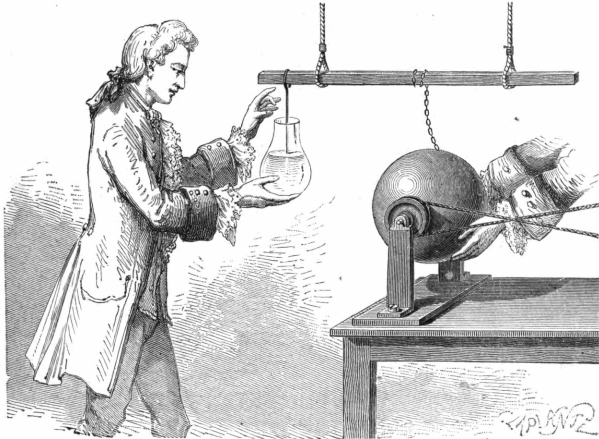
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# The first capacitor was discovered in 1745



[Image: Laplante (Public domain)]



# Calculations

- 1 Think carefully about what you saw in the experiment. **Estimate** an upper limit for the amount of charge that is stored on each plate of the capacitor.
- 2 If your previous answer was the charged stored on the capacitor at 2000 V, how much charge do you think could be stored at 500 V?

# Answers

$$1 \approx 2 \times 10^{-6} \text{ C} = 2 \mu\text{C}$$

$$2 \approx 5 \times 10^{-7} \text{ C} = 0.5 \mu\text{C}$$

# Voltage and charge stored

To answer the last question, you made an assumption that charge stored is directly proportional to voltage.

$$Q \propto V$$

In fact, this is always true for a capacitor, so we can write

$$Q = CV,$$

where  $C$  is a constant of proportionality called the *capacitance*.

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- ▶ This means the capacitance is the charge stored (coulombs) per volt

# Capacitance

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- ▶ We can rearrange  $Q = CV$  to  $C = \frac{Q}{V}$ .
- ▶ This means the capacitance is the charge stored (coulombs) per volt
- ▶ We give this unit ( $CV^{-1}$ ) a special name: *Farad* (F)
- ▶ The 1 F is rather a large capacitance (like 1 C is a large charge) so normally we shall meet capacitances in  $\mu\text{F}$ .

# Capacitor dissection



- ▶ Very similar to the bin bag capacitor
- ▶ Typical values are 10–100  $\mu\text{F}$

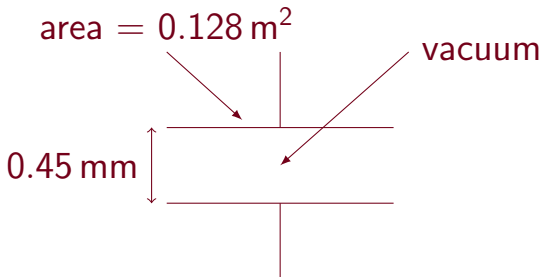
# Uses of capacitors

- ▶ Smoothing circuits, e.g. in rectification of a.c. to make d.c.
- ▶ Back-up power supplies, e.g. for when there is a power cut
- ▶ Filtering electronic signals by frequency, e.g. in tuning a radio
- ▶ Timing circuits (more details next lesson)



# Warm-up question

Calculate the capacitance of the capacitor shown



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Calculate the capacitance of the capacitor shown

$$\begin{aligned}C &= \frac{\epsilon_0 A}{d} \\&= \frac{8.85 \times 10^{-12} \text{ F m}^{-1} \times 0.128 \text{ m}^2}{0.45 \times 10^{-3} \text{ m}} \\&= 2.52 \text{ nF.}\end{aligned}$$

# Tip

- ▶ Expect your answer to be in mF at the very largest!